

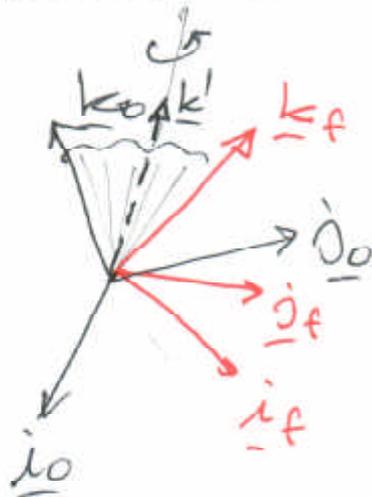
Lezione 19/03/2004

- a) Pianificazione della traiettoria e del riferimento: continua ... testo pagg. 133-seguenti

19/03/04 (1)

PIANIFICAZIONE ASSETTO

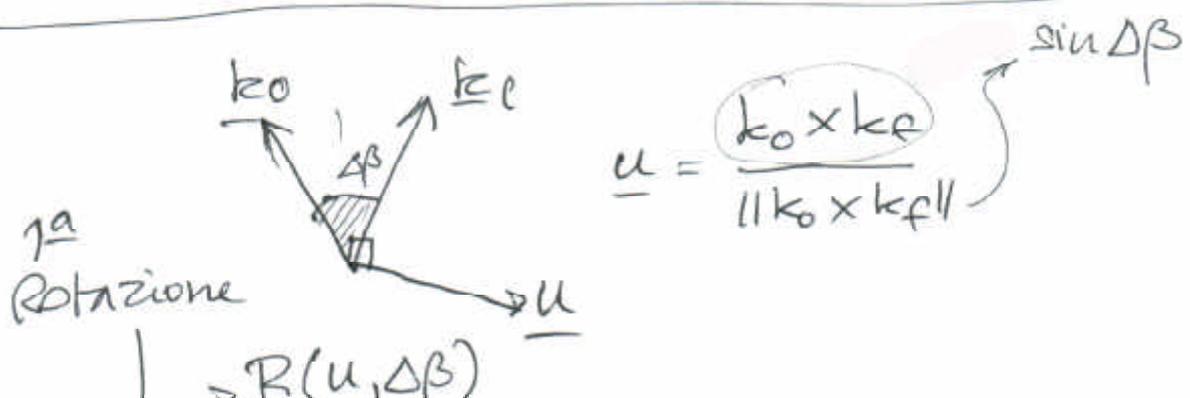
- ✓ ANCIOLI 3 PAR
- ✓ ASSE-ANCIOLO 1 PAR
- ✓ SCIVOLAMENTO PIANO 2 PAR



2 Rotazioni da Comporre

1) intorno ad asse fisso \underline{u} \perp piano $\underline{k}_0 \underline{k}_f$

2) intorno asse \underline{k}' locale



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(2)



2^a Rotazione \bar{e} intorno all'asse locale
 \underline{k}
 di angolo $\Delta\alpha$

$$R(\underline{k}, \Delta\alpha) = \begin{bmatrix} c_\alpha & -s_\alpha & 0 \\ s_\alpha & c_\alpha & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

$$\sin \Delta\alpha = \|\dot{\underline{j}}_0^{\sim} \times \dot{j}_f\|$$

↑
?!

$$\dot{\underline{j}}_0 = R(\underline{u}, \Delta\beta) \dot{\underline{j}}_0^{\sim} \Rightarrow \dot{\underline{j}}_0^{\sim} = R^T \dot{j}_0$$

$$\sin \Delta\alpha = \|R^T \dot{j}_0 \times \dot{j}_f\|$$

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DATI $\dot{i}_0, \dot{j}_0, \underline{k}_0$

$\dot{i}_f, \dot{j}_f, \underline{k}_f$

ci chiediamo a) $\underline{u}, \Delta\beta$

o) $\Delta\alpha$

Rot. totale = $R(\underline{u}, \Delta\beta) R(\underline{k}, \Delta\alpha) = R_T$

$R_T(t) = R(\underline{u}, \beta(t)) R(\underline{k}, \alpha(t))$

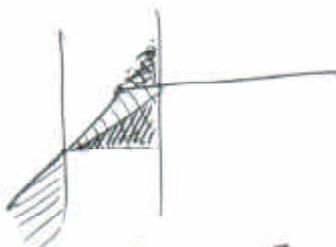
$\beta(t) = s(t) \Delta\beta$

$\alpha(t) = s(t) \Delta\alpha$

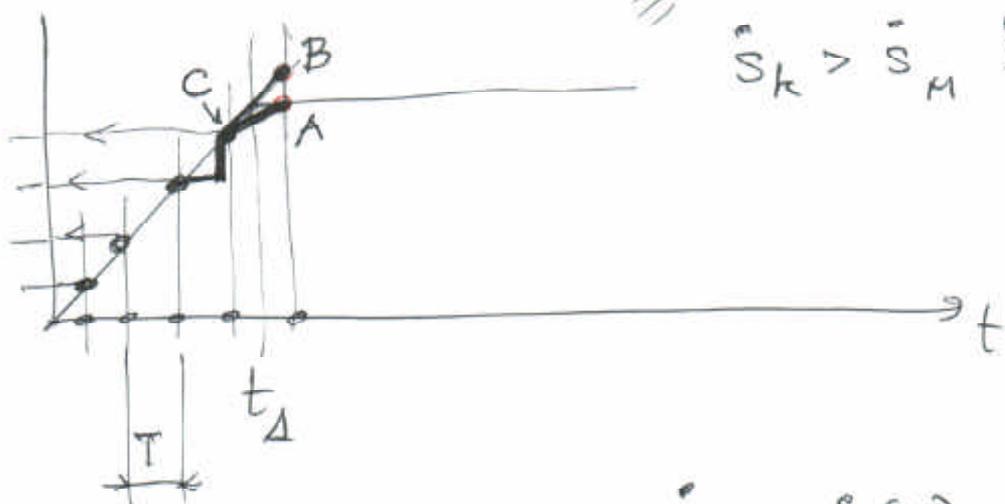
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$$S(t) \rightarrow S(kT)$$

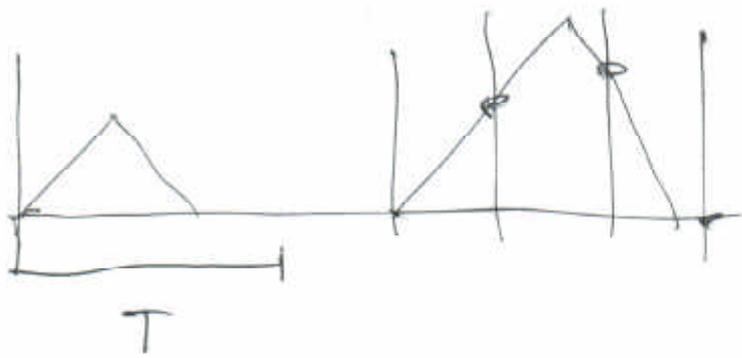


$$\dot{S}_k > \dot{S}_M ?$$



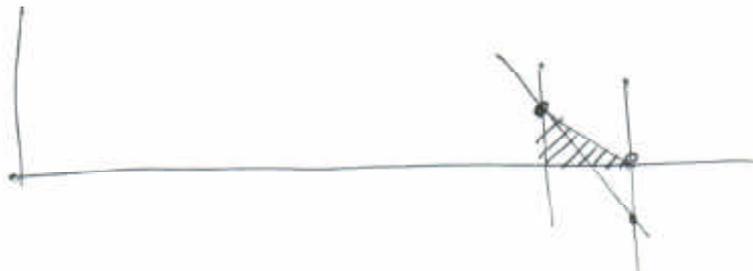
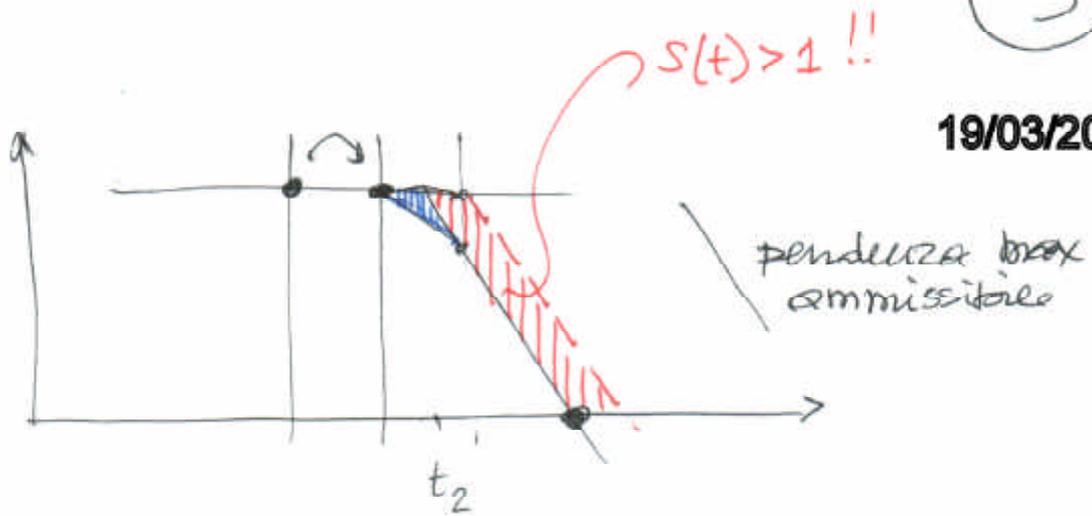
$$\dot{S}(kT) \equiv \dot{S}_k \equiv \dot{S}(k)$$

$$\frac{\Delta S}{T}$$



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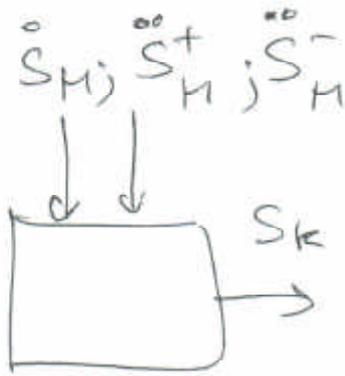
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$$S_k \text{ finale} \approx 1 \pm \varepsilon$$

$$\dot{S}_k \text{ finale} \approx 0 \pm \varepsilon$$

$$\ddot{S}_k \text{ finale} \approx 0 \pm \varepsilon$$



(6)

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Generazione di $s(t) \Rightarrow s(k)$

Vincoli

$$\ddot{s}_M^- ; \ddot{s}_M^+ ; \ddot{s}_M^-$$

T

$$s(k) = \begin{bmatrix} \\ \\ \end{bmatrix} ; \quad \dot{s}(k) = \begin{bmatrix} \\ \\ \end{bmatrix} ; \quad \ddot{s}(k) = \begin{bmatrix} \\ \\ \end{bmatrix}$$

N_k

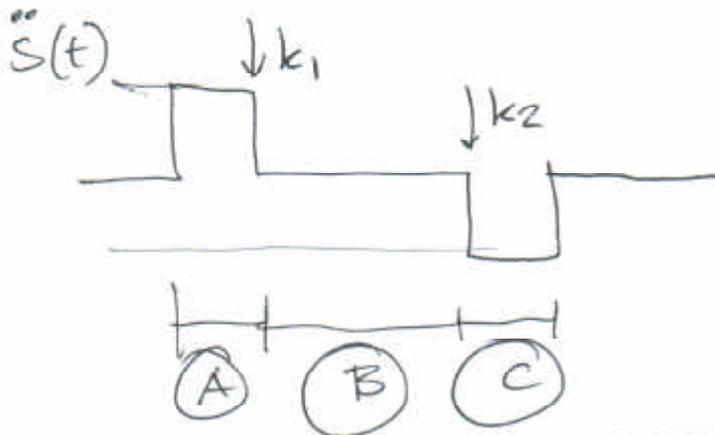
FUORI LINEA

VA FATTO IN LINEA
REAL-TIME

$$\ddot{s}_k = \begin{cases} \ddot{s}_M^+ & \text{(A)} \\ 0 & \text{(B)} \\ -\ddot{s}_M^- & \text{(C)} \end{cases}$$

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(7)



$$\dot{s}_k = \begin{cases} \dot{s}_M^+ kT + \dot{s}_0 & \text{(A)} \\ \dot{s}_M & \text{(B)} \\ \dot{s}_M - \dot{s}_M^- (k - k_2)T & \text{(C)} \end{cases}$$

↑
k relativo al centro di profilo

$$s_k = \begin{cases} \frac{1}{2} \ddot{s}_M^+ k^2 T^2 + \dot{s}_0 kT + s_0 & \text{(A)} \\ \dot{s}_M (k - k_1)T + s_1 & \text{(B)} \\ -\frac{1}{2} \ddot{s}_M^- (k - k_2)^2 T^2 + \dot{s}_M (k - k_2)T + s_2 & \end{cases}$$

← s(k₁)
k relativo al centro di profilo

FORMULE RICORSIVE

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DUE APPROCCI

• INTERPOLAZIONE INCREMENTALE

••

"

ASSOLUTA

• I. I. \equiv VELOCITA' ESATTA
POSIZIONE APPROX.

•• I. A. \equiv POSIZIONE ESATTA
VELOCITA' APPROX.